

# Opportunities with small systems

Wojciech Broniowski and Piotr Bożek

Half a century of high-energy physics –  
symposium on the occasion of the honorary doctorate  
and 80th birthday of Peter Seyboth

UJK, 18 October 2019

2015/19/B/ST2/00937

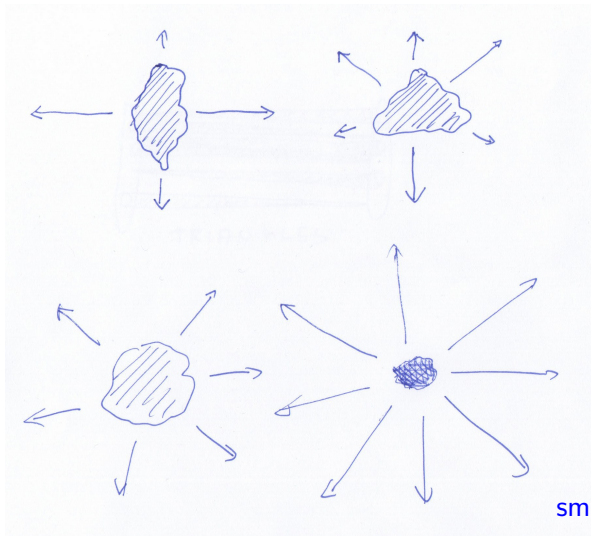


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- Remarks on light-heavy collisions
- Collisions with polarized light targets (deuteron)
- Collisions with light clustered nuclei ( $^{16}\text{O}$ )

# Remarks

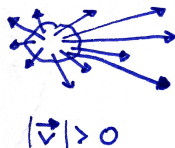
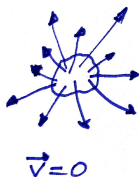
# Shape – flow transmutation



Any (copious) rescattering will do (hydro, transport)!

# Collimation from the Doppler effect

- Emission from a fast moving element of fluid
- Collimation of hadrons (increasing with mass)



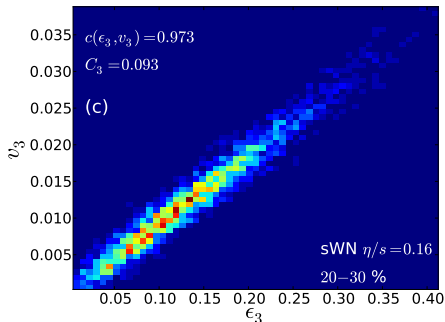
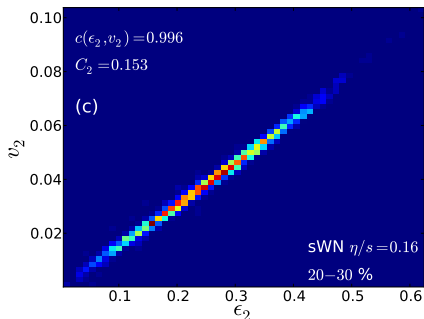
Multi-particle correlations in the azimuth are used in the [cumulant](#) or other methods to extract the flow coefficients with reduced the non-flow contamination (from jets, resonance decays, ...)

[Borghini, Ollitrault 2001]

# Hydro without hydro

Approximately  $v_n = \kappa_n \epsilon_n$ , ( $n = 2, 3$ )

- $\kappa_n$  depend on the collision energy, multiplicity, viscosity ...

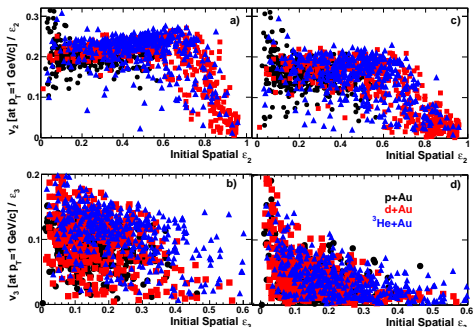


Au+Au@200 GeV [Niemi, Denicol, Holopainen, Huovinen 2012]

# Hydro without hydro

Approximately  $v_n = \kappa_n \epsilon_n$ , ( $n = 2, 3$ )

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$T_f = 150$  MeV (left) and 170 MeV (right) [Nagle, Adare, Beckman, Koblesky, Orjuela Koop, McGlinchey, Romatschke, Carlson, Lynn, McCumber, PRL 113 (2014) 112301]

Approximately  $v_n = \kappa_n \epsilon_n$ , ( $n = 2, 3$ )

- $\kappa_n$  depend on the collision energy, multiplicity, viscosity ...

Allows us to construct response-independent coefficients, e.g.,

$$v_n\{4\}/v_n\{2\} \simeq \epsilon_n\{4\}/\epsilon_n\{2\}$$

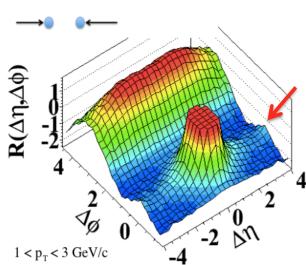
which probe the geometry-fluctuation interplay

(more geometry  $\rightarrow v_n\{4\}/v_n\{2\}$  goes up)

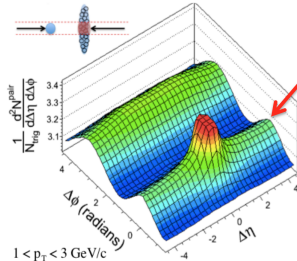
[Bożek WB, Ruiz Arriola, Rybczyński, 2014,  
Giacalone, Noronha-Hostler, Ollitrault, 2017]



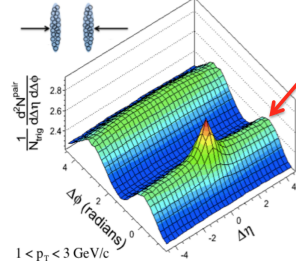
(a) pp  $\sqrt{s} = 7$  TeV,  $N_{\text{trk}}^{\text{offline}} \geq 110$



(b) pPb  $\sqrt{s_{NN}} = 5.02$  TeV,  $220 < N_{\text{trk}}^{\text{offline}} \leq 260$



(c) PbPb  $\sqrt{s_{NN}} = 2.76$  TeV,  $220 < N_{\text{trk}}^{\text{offline}} \leq 260$



Together with the transverse-longitudinal factorization, the near-side ridge indicates collectivity

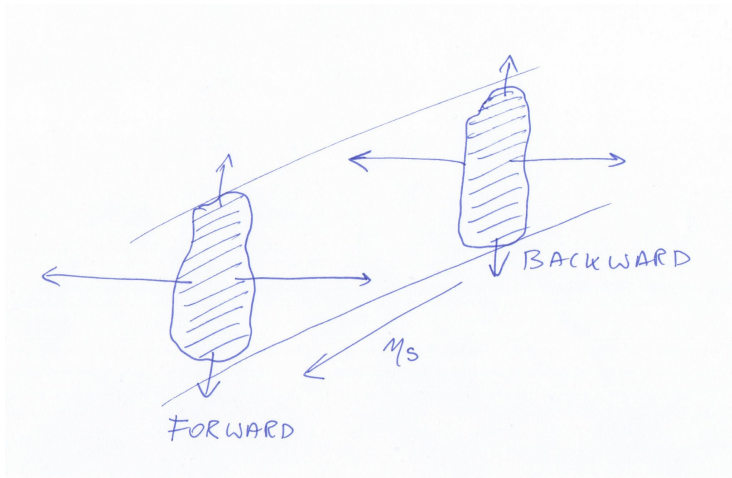
understanding of the ridges →

# Factorization of the transverse and longitudinal distributions

left-moving participants

strings

right-moving participants



Approximate (up to fluctuations) alignment of F and B event planes

Collimation of flow at very distant longitudinal separations → ridges!

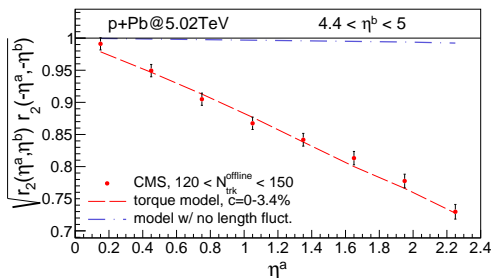
# Surfers - the near-side ridge



Collimated even if separated by a mile!  
Something had to create the wave!

# Torque (decorrelation) in p-Pb

- String breaking essential to describe torque in p-Pb



- cf. Huang on Monday, Bożek and Qin on Tuesday

Not covered: longitudinal fluctuations

$a_{nm}$  coefficients

[Bzdak, Teaney, 2012, Jia, Radhakrishnan, Zhou, 2016, Monnai, Schenke, PLB 752 (2016) 317, PB, WB, Olszewski, Phys.Rev. C92 (2015) 054913, [ATLAS](#)]

*p*-A, how small?

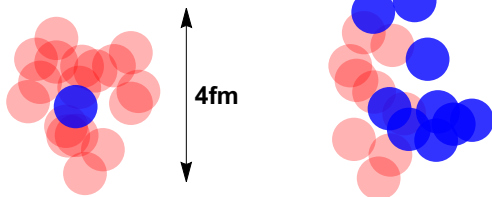
# Initial fireball in $p$ -Pb vs Pb-Pb

Sample transverse-plane configuration of centers of the participant nucleons in a  $p$ +Pb collision from GLISSANDO

5% of collisions have more than 18 participants, rms  $\sim 1.5$  fm – quite large!

$p$ -Pb@5.02 TeV,  $N_W=18$

Pb-Pb@2.76 TeV,  $N_W=18$



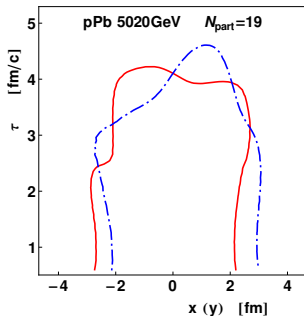
Size reflects the NN inelasticity profile

Most central values of  $N_w$  in  $p$ -Pb would fall into the 60-70% or 70-80% centrality class in Pb+Pb

Pb+Pb:  $c=60-70\% \equiv 22 \leq N_w \leq 40$ ,  $c=70-80\% \equiv 11 \leq N_w \leq 21$

# Hydro evolution of the $p$ -Pb fireball

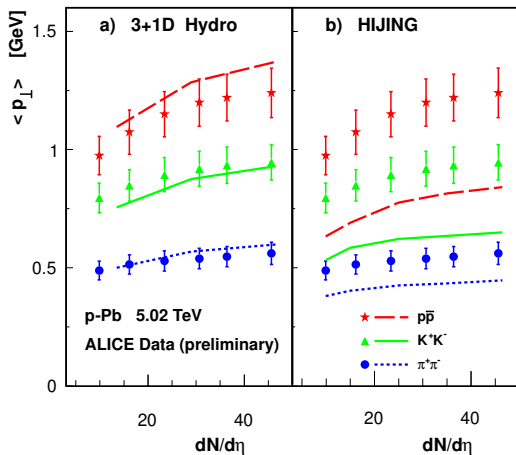
Not so small!



isotherms at freeze-out  $T_f = 150$  MeV  
(for two sections in the transverse plane)

- evolution lasts about 4 fm/c – shorter but more rapid than in Pb+Pb
- strong gradients  $\rightarrow$  essential role of viscosity

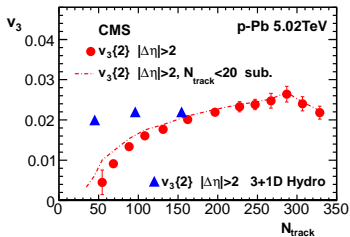
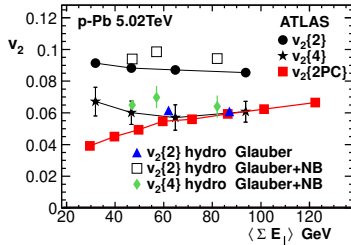
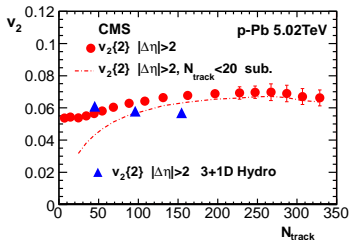
# Mass hierarchy in $p$ -A



[PB, WB, Torrieri, PRL 111 (2013) 172303]

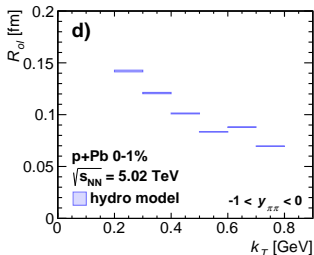
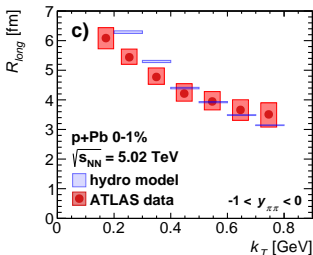
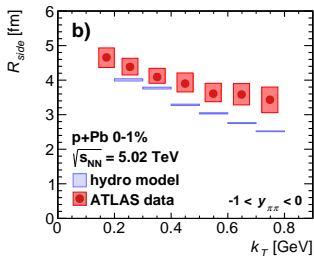
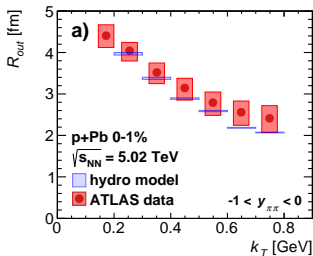


# Harmonic flow in $p$ -A



[PB, WB, PRC 88 (2013) 014903]

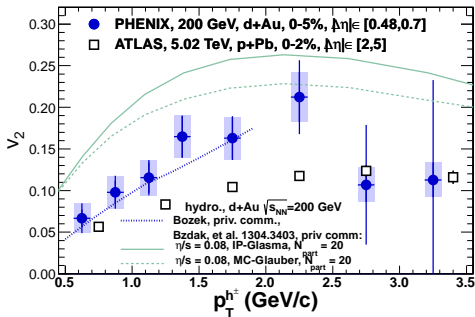
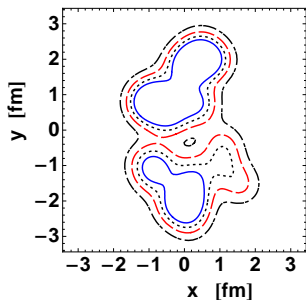
# Interferometry



[PB, Bysiak, 2017]

*d-A*

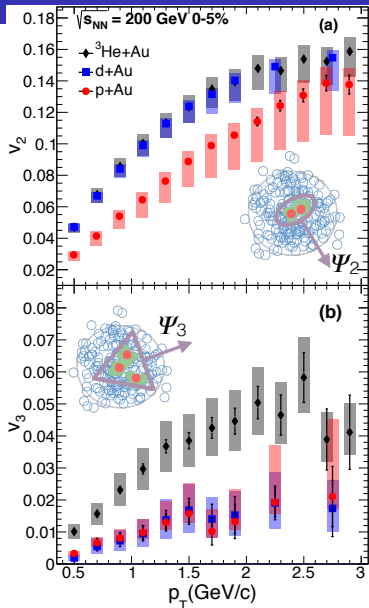
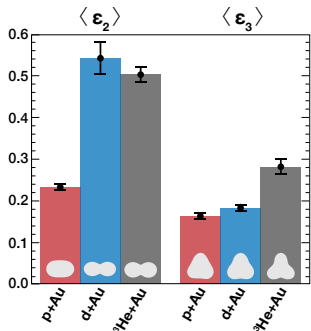
[pioneered by Bożek 2012]

intrinsic dumbbell shape with large deformation: rms  $\simeq 2$  fminitial entropy density in a d-Pb collision with  $N_{\text{part}} = 24$ 

Resulting large elliptic flow confirmed with the later RHIC analysis  
 (geometry + fluctuations)

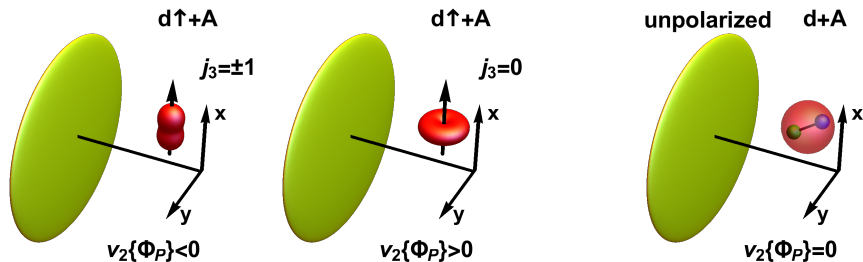
# Flow hierarchy in small systems

[PHENIX, 2018]



# Controlling the geometry: A – polarized d collisions

# Polarized d+A collisions

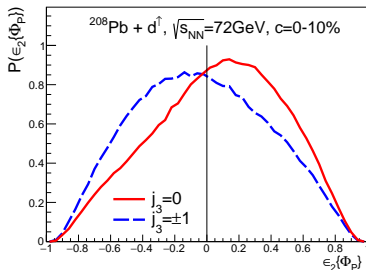
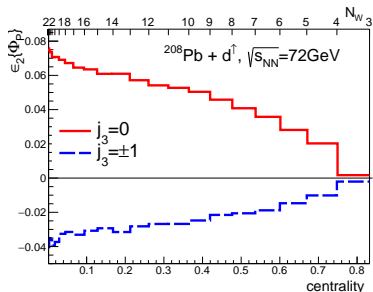


Admixture of the  $D$ -wave allows us to control the geometry! Small but measurable effect

[PB, WB, PRL 121 (2018) 202301]

# Ellipticity of the fireball relative to polarization axis

GLISSANDO:



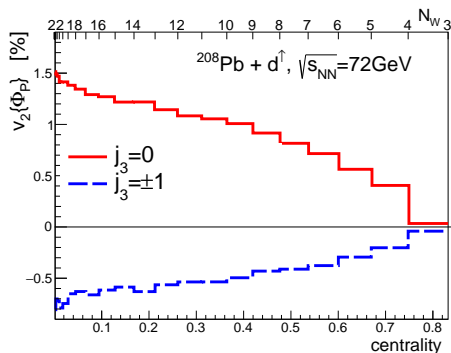


# Predictions

one-body (!)

$$\frac{dN}{d\phi} \propto 1 + 2v_2 \cos[2(\phi - \Phi_P)]$$

$$v_2 \simeq k\epsilon_2, \quad k \sim 0.2$$



For  $j = 1$  nuclei the *tensor polarization* is

$$P_{zz} = n(1) + n(-1) - 2n(0)$$

$$v_2\{\Phi_P\} \simeq k \epsilon_2^{j_3=\pm 1}\{\Phi_P\} P_{zz}, \quad -1.5 \leq P_{zz} \leq 0.7$$

$$-0.5\% \lesssim v_2\{\Phi_P\} \lesssim 1\%$$

**One-particle distribution** – can be measured precisely! Random fluctuations cancel

AFTER@LHC – injecting a polarized gas target into the Pb beam

2.76A TeV Pb beam on a fixed target  $\rightarrow \sqrt{s_{NN}} = 72$  GeV, at LHCb  
 $-2.3 < \eta_{CM} < 0.7$

[C. Barschel, Ph.D. thesis, (2014)]

R. Aaij et al. (LHCb), JINST 9, P12005 (2014), arXiv:1410.0149]

# Estimates based on the quadrupole moment

	$j$	$j_3$	$\langle r^2 \rangle_{\text{ch}}^{1/2}$ [fm]	$Q_2$ [fm <sup>2</sup> ]	$-\frac{3Q_2}{4Z\langle r^2 \rangle}$ [%]
d	1	$\pm 1$	2.1421(88)	0.2860(15)	-5.6
		0		$\times(-2)$	$\times(-2)$
<sup>7</sup> Li	$\frac{3}{2}$	$\pm \frac{3}{2}$	2.444(42)	-4.03(4)	19
		$\pm \frac{1}{2}$		$\times(-1)$	$\times(-1)$
<sup>9</sup> Be	$\frac{3}{2}$	$\pm \frac{3}{2}$	2.519(12)	5.29(4)	-17
		$\pm \frac{1}{2}$		$\times(-1)$	$\times(-1)$
<sup>10</sup> B	$\pm 3$	$\pm 3$	2.428(50)	8.47(6)	-25

$$v_2\{\Phi_P\} \simeq -k \frac{3Q_2}{4Z(\langle r^2 \rangle + \frac{3}{2}\langle b^2 \rangle)} \frac{3j_3^2 - j(j+1)}{j(2j-1)} P$$

The lowest possible  $j$  is 1 (no effect for <sup>3</sup>He or tritium, where  $j = \frac{1}{2}$ )

# Light clustered nuclei

with E. Ruiz Arriola, M. Rybczyński, M. Piotrowska

# $^{12}\text{C}$ -A – role of $\alpha$ clusters

“Futurology” from [WB, Ruiz Arriola, PRL 112 (2014) 112501]

Nuclear structure from ultra-relativistic collisions!

Probe to what degree  $^{12}\text{C}$  is made of three  $\alpha$ 's

Specific features of the  $^{12}\text{C}$  collisions with a “wall” of Pb or Au:

The cluster plane parallel or perpendicular to the transverse plane:



higher multiplicity  
higher triangularity  
lower ellipticity



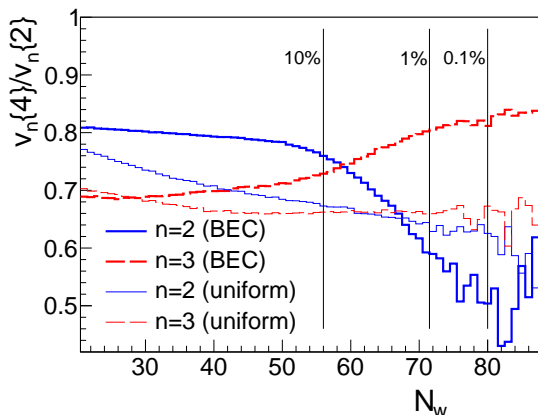
lower multiplicity  
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[PB, WB, Ruiz Arriola, Rybczyński. PRC90 (2014) no.6, 064902]

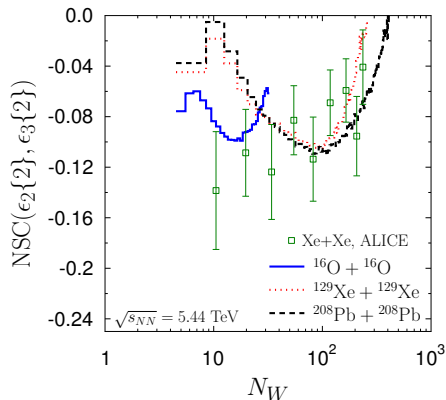
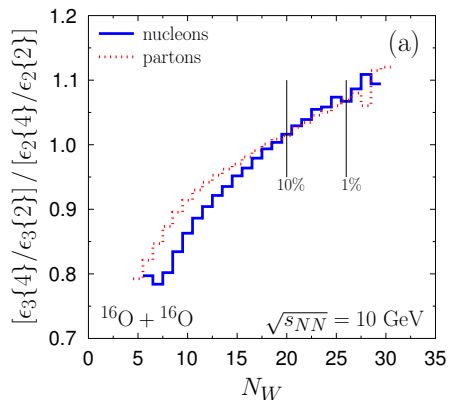
→ effects of geometric arrangement for most central

$v_n\{4\}/v_n\{2\}$  a good response-invariant probe (recall  $v_n \simeq \kappa \epsilon_n$ ,  $n = 2, 3$ )

[see also Giacalone, Noronha-Hostler, Ollitrault, PRC95 (2017) 054910]



considered seriously in future runs at RHIC and the LHC



# Summary



- Matter flows in small systems
- Polarized deuteron - controlled geometry
- Clustered small nuclei in light-heavy collisions – insight into nuclear structure from harmonic flow

Congratulations, Peter!!!